Hedonic pricing (1)

Applied Econometrics for Spatial Economics

Hans Koster

Professor of Urban Economics and Real Estate







- 1. Introduction

2. The MWTP

- 3. The value function
- . Demand functions
- 5. Summary

Topics:

- 1. Discrete choice
 - Random utility framework, estimating binary and multinomial regression models
- 2. Spatial econometrics
 - Spatial data, autocorrelation, spatial regressions
- 3. Identification
 - Research design, IV, OLS, RDD, quasi-experiments, standard errors
- 4. Hedonic pricing
 - Theory and estimation
- 5. Quantitative spatial economics
 - General equilibrium models in spatial economics



Hedonic pricing (1) 1. Introduction

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Wednesday

09:30-10:30	Lecture 1	Discrete Choice I (The random utility framework)
10:45-11:45	Lecture 2	Discrete Choice II (Estimating discrete choice models)
12.00 12.00	Lactura 2	Cnatial Economatrics I (Cnatial data)

12:00-13:00 Lecture 3 Spatial Econometrics I (Spatial data)

14:00-15:30 Tutorial 1 Assignment 1

Thursday

09:30-10:30 Lecture 4	Spatial Econometric	ics II (Spatial autocorrelation)
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10:45-11:45 Lecture 5 Spatial Econometrics III (Spatial regressions)

12:00-12:30 Lecture 6 Identification I (Research design)

13:30-14:00 Tutorial 2 Discussion of Assignment 1

14:00-15:00 Tutorial 3 Assignment 2

Friday

09:30-10:00 Lecture	7 Identification I	(RCTs, OLS, IV	V, quasi-experiments)
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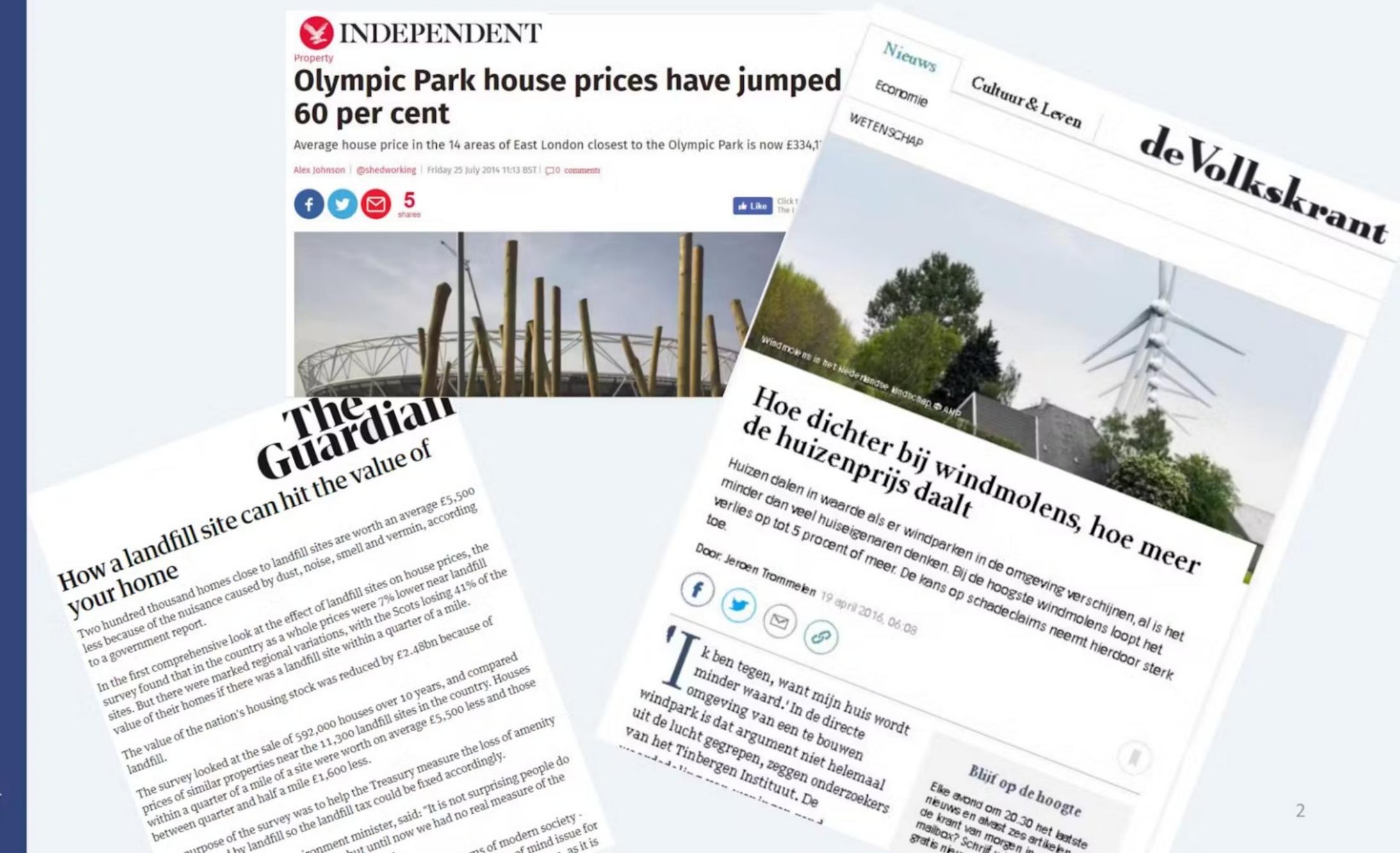
10:00-10:30 Lecture 8 Hedonic pricing I (Theory)

10:45-11:45 Lecture 9 Hedonic pricing II (Estimation)

12:00-12:30 Tutorial 4 Discussion of Assignment 2



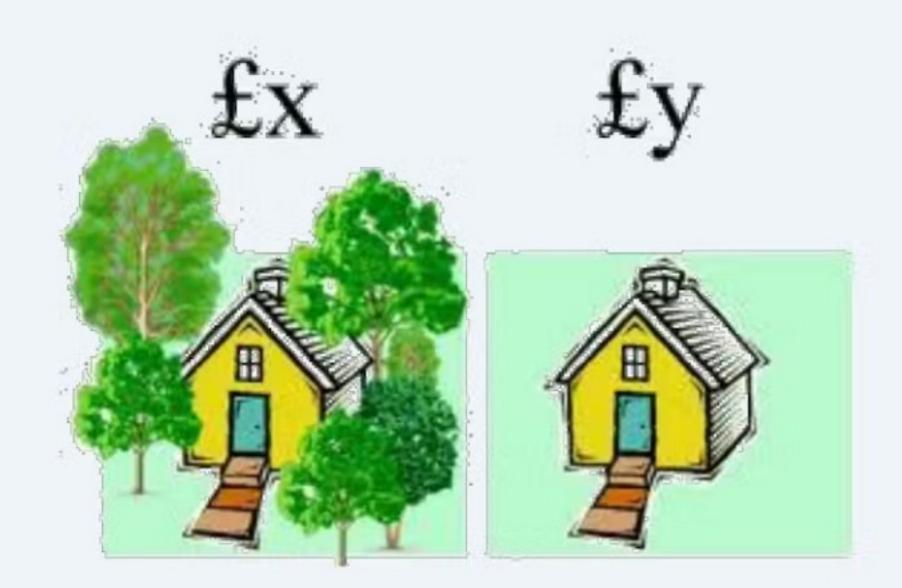
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- We focus on the housing market
- Hedonic price theory is often used to measure the price of public goods





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- Often used in applied research to answers questions like:
 - Is it beneficial to invest in a new park?
 - What are the social costs of a polluting power plant?
 - Are there any external effects of investments in poor neighbourhoods?
 - What is the effect of earthquakes?
 - ...



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Goals of this class are:

- 1. Understand what a hedonic price function
- 2. Have basic knowledge about how a hedonic price function is linked to economic theory



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A hedonic price function is:

 A description of the equilibrium prices of varieties of a heterogeneous good influenced by supply and demand

Is not expected to be stable over time

 Economic theory does not tell much about the shape of the hedonic price function



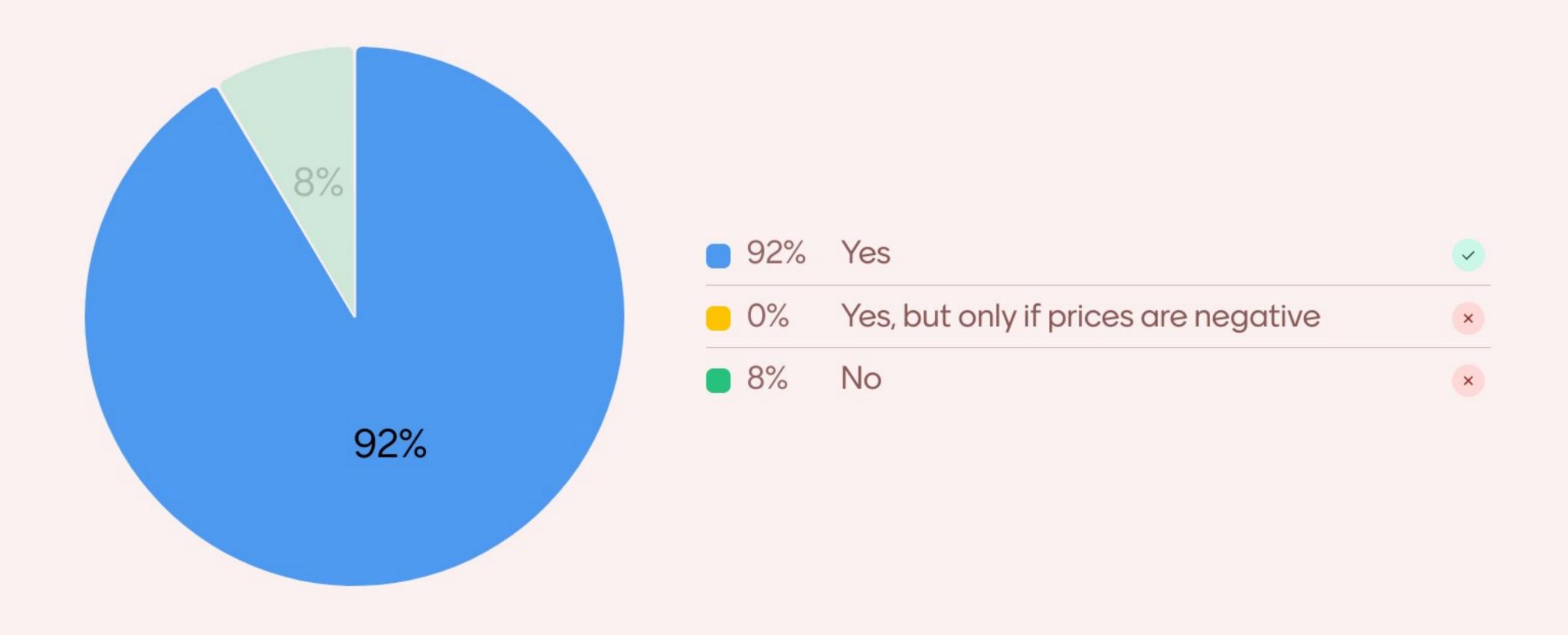
2. The marginal willingness to pay

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- Consider a heterogenous good
- Heterogeneity is described by a number of attributes k.
- Price is a function of these attributes, so p = p(k).
- If there are enough observations, we can estimate p(k).



This hedonic price function is downward sloping in the figure. Could it also be upward sloping?



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 Hedonic price function developed by Andrew Court (1939) in application to cars

- Extended by Zvi Griliches (1961)
 - Also applied to cars
 - Since then a standard econometric tool

 Rosen (1974) provided a link between the hedonic price theory and standard economic theory



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• How is the hedonic price function related to economic theory?

Let's assume a utility maximising household

 u = u(q, k)
 q denotes a composite good
 k denotes an attribute (e.g. house size)
 subject to a budget constraint y = q + p(k).

Then, it holds that:

$$\frac{\partial u/\partial k}{\partial u/\partial q} = \frac{\partial p}{\partial k}$$



With
$$u=u(q,k)$$
 and $y=q+p(k)$, show that $\frac{\partial u/\partial k}{\partial u/\partial q}=\frac{\partial p}{\partial k}$.



0 I am stuck

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$$\mathcal{L} = u(q, k) + \lambda(y - q - p(k)) \tag{1}$$

$$\frac{\partial \mathcal{L}}{\partial q} = \frac{\partial u}{\partial q} - \lambda = 0 \tag{2}$$

$$\frac{\partial \mathcal{L}}{\partial k} = \frac{\partial u}{\partial k} - \lambda \frac{\partial p}{\partial k} = 0 \tag{3}$$

$$\frac{\partial \mathcal{L}}{\partial \lambda} = y - q - p(k) = 0 \tag{4}$$

Divide (3) by (2) to obtain $\frac{\partial u/\partial k}{\partial u/\partial q} = \frac{\partial p}{\partial k}$



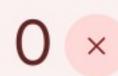
Please interpret $\frac{\partial u/\partial k}{\partial u/\partial q}=\frac{\partial p}{\partial k}$. (multiple answers may be correct)



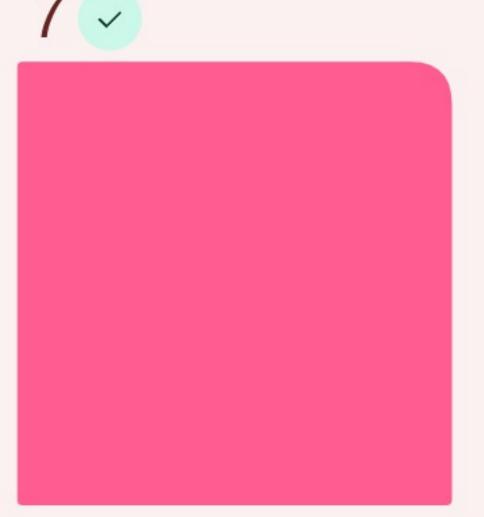
The first expression denotes the marginal rate of substitution

0 ×

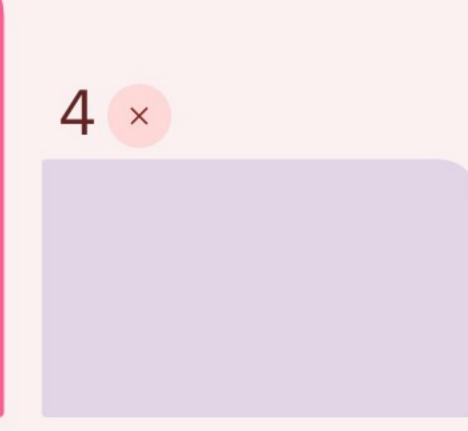
The first expression denotes the marginal rate of transformation



The first expression captures an external effect of the attribute on utility, holding the consumption of the composite good constant



The second expression denotes the willingness to pay for one unit change in the attribute



The second expression denotes the willingness to accept for one unit change in the attribute

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$$\mathcal{L} = u(q, k) + \lambda(y - q - p(k)) \tag{1}$$

$$\frac{\partial \mathcal{L}}{\partial q} = \frac{\partial u}{\partial q} - \lambda = 0 \tag{2}$$

$$\frac{\partial \mathcal{L}}{\partial k} = \frac{\partial u}{\partial k} - \lambda \frac{\partial p}{\partial k} = 0 \tag{3}$$

$$\frac{\partial \mathcal{L}}{\partial \lambda} = y - q - p(k) = 0 \tag{4}$$

Divide (3) by (2) to obtain
$$\frac{\partial u/\partial k}{\partial u/\partial q} = \frac{\partial p}{\partial k}$$

The marginal rate of substitution (MRS) $\frac{\partial u/\partial k}{\partial u/\partial q}$ equals the marginal willingness to pay $\frac{\partial p}{\partial k}$



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$$\frac{\partial u/\partial k}{\partial u/\partial q} = \frac{\partial p}{\partial k}$$

- It indicates the amount of money a consumer is willing to pay to get an additional unit of the attribute
 - An additional square meter of house size
 - Engine power for cars
 - while holding utility constant

Problem: households are not homogeneous in their utility functions!



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- To analyse the equilibrium we may use the concept of the 'value function'
 - We may write $u_1 = u_1^* = u(y_1 P_1, k)$.
 - We then invert the utility function with respect to $y_1 P_1$ to obtain $P_1 = y_1 u^{-1}(u_1^*, k)$

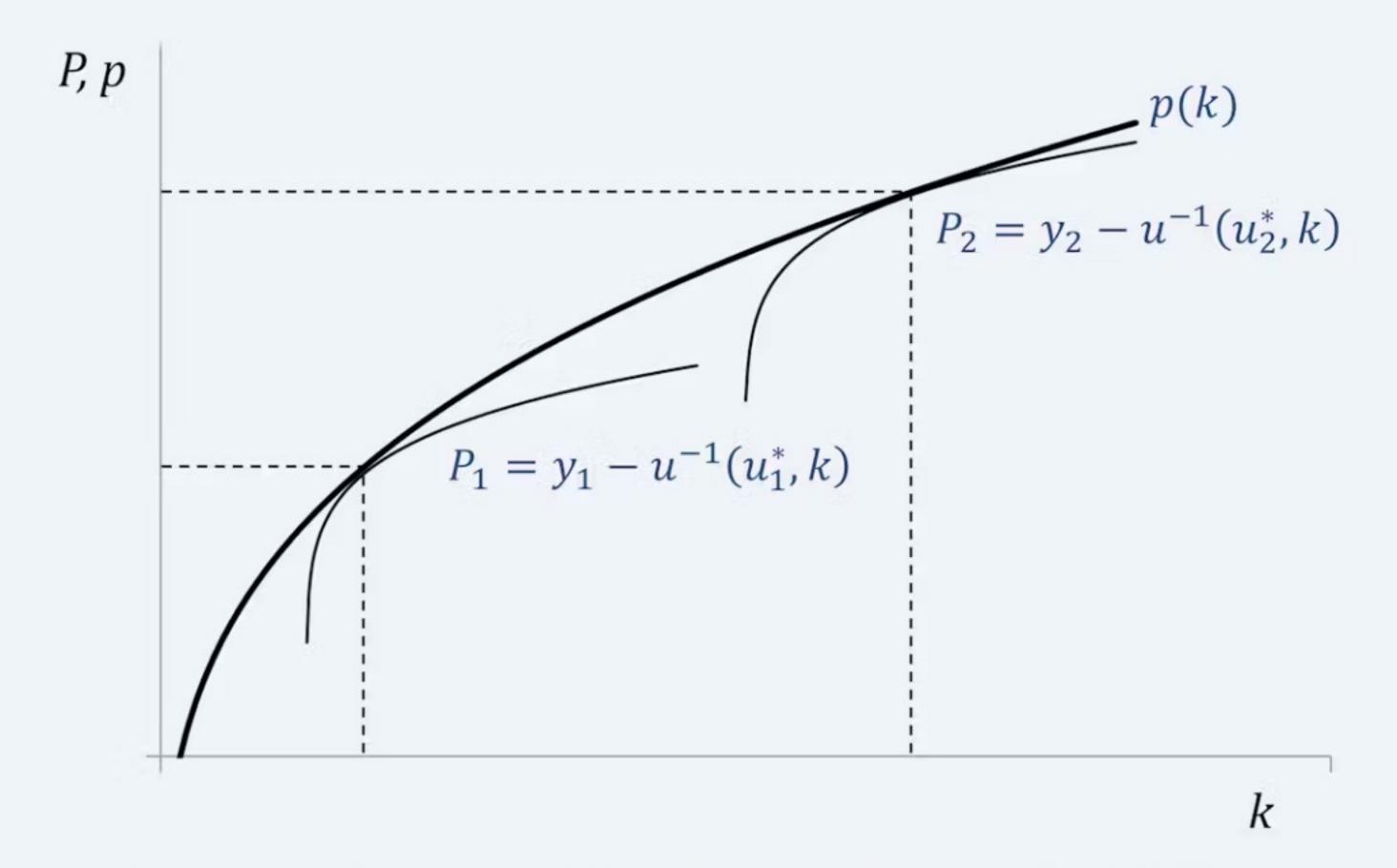
•
$$\frac{\partial P_1}{\partial y_1} = 1 \Rightarrow \Delta y$$
 translates completely into ΔWTP

•
$$\frac{\partial P_1}{\partial u_1^*} = -\frac{1}{\partial u/\partial k}$$
 > WTP for good decreases in \bar{u}



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With heterogenous households, we have:



- Note that the *value functions* give the WTP, (P_1, P_2) for different consumers
- Hedonic pricing function p(k) gives market price



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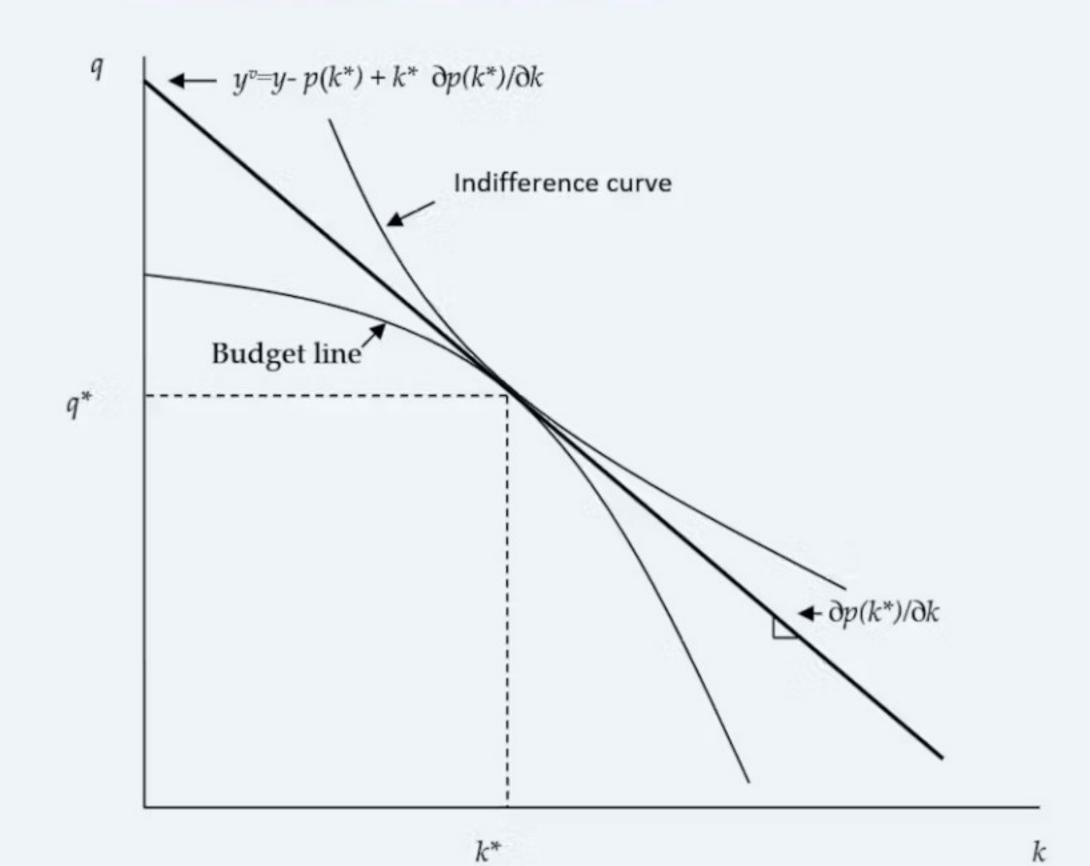
- Recall that $\frac{\partial u/\partial k}{\partial u/\partial q} = \frac{\partial p}{\partial k}$
- So what can we learn from the data if we estimate a hedonic price function?
 - We aim to obtain $\partial p/\partial k = \alpha$

- Can we determine the *demand* for an attribute k for an individual if we obtain α ?
 - e.g. demand for open space
 - Demand function: $k = f(\alpha)$
 - Inverse demand function: $\alpha = f(k)$



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- The budget constraint: y = q + p(k)
- A problem: there is no constant unit price of quality
 - The price (or willingness to pay) depends on the amount consumed





4. Demand functions

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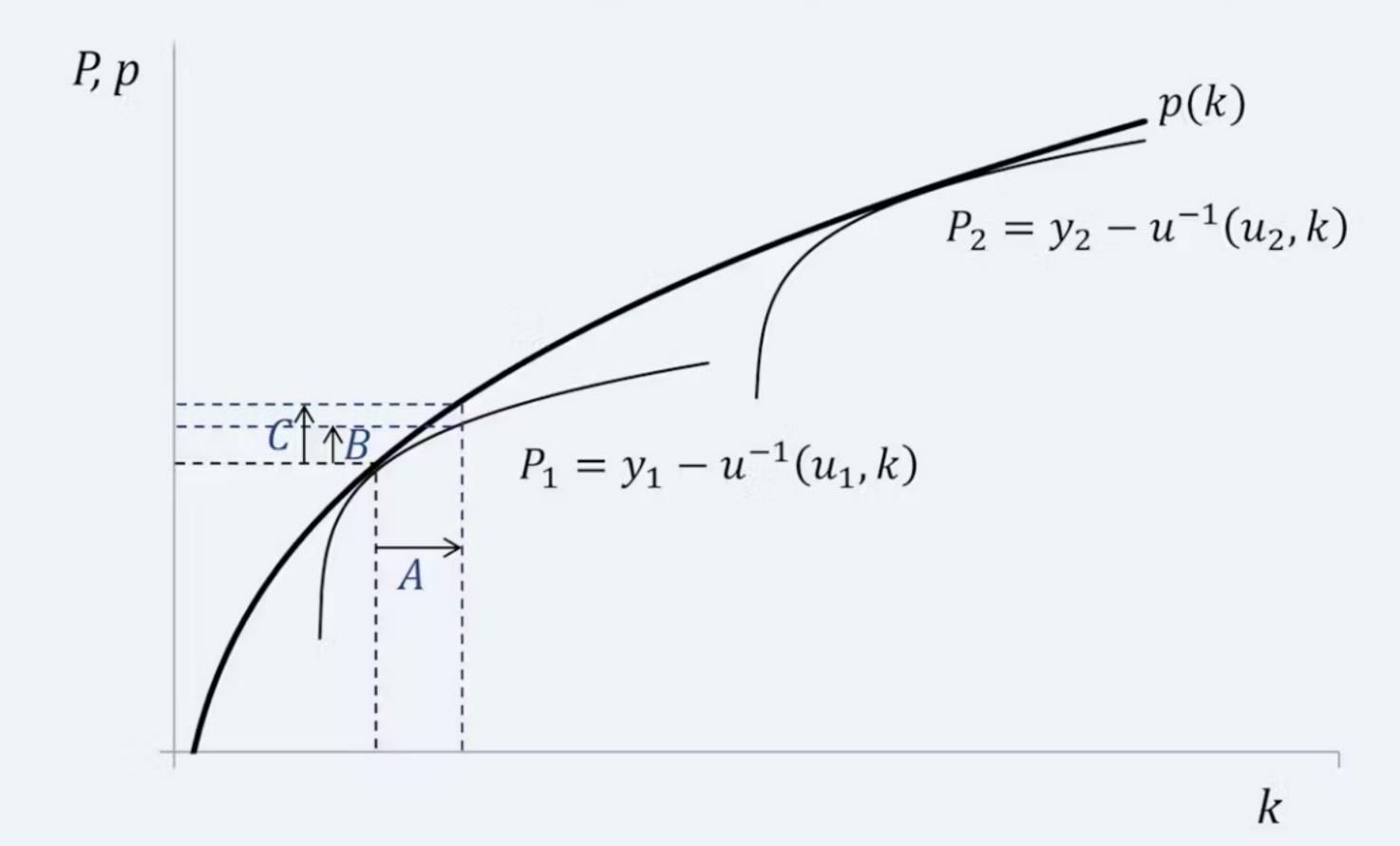
Homogeneity:

- In practice we usually calculate the average of the WTP
- We often do not attempt to estimate structural utility/demand parameters but focus on marginal changes
- Hence, we only identify the point on the value function that touches the equilibrium price function



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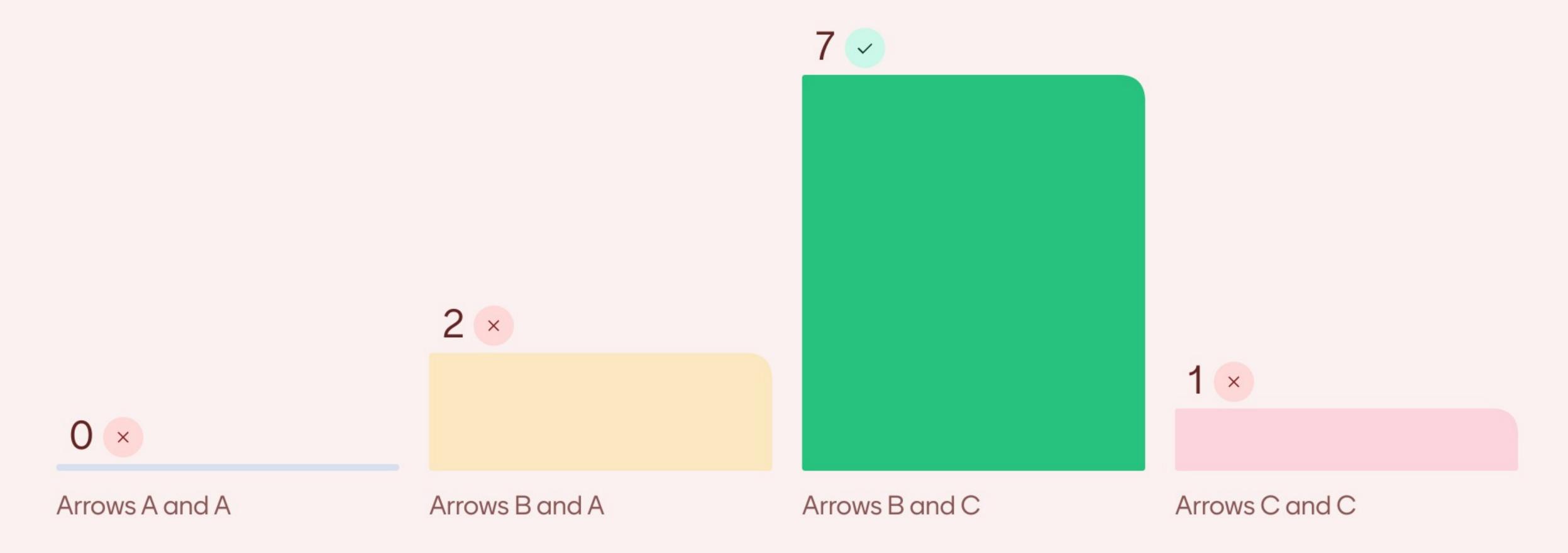
Structural (large) vs. marginal (small) changes in k



- Let's consider a small change in k
 - What is the actual willingness to pay?

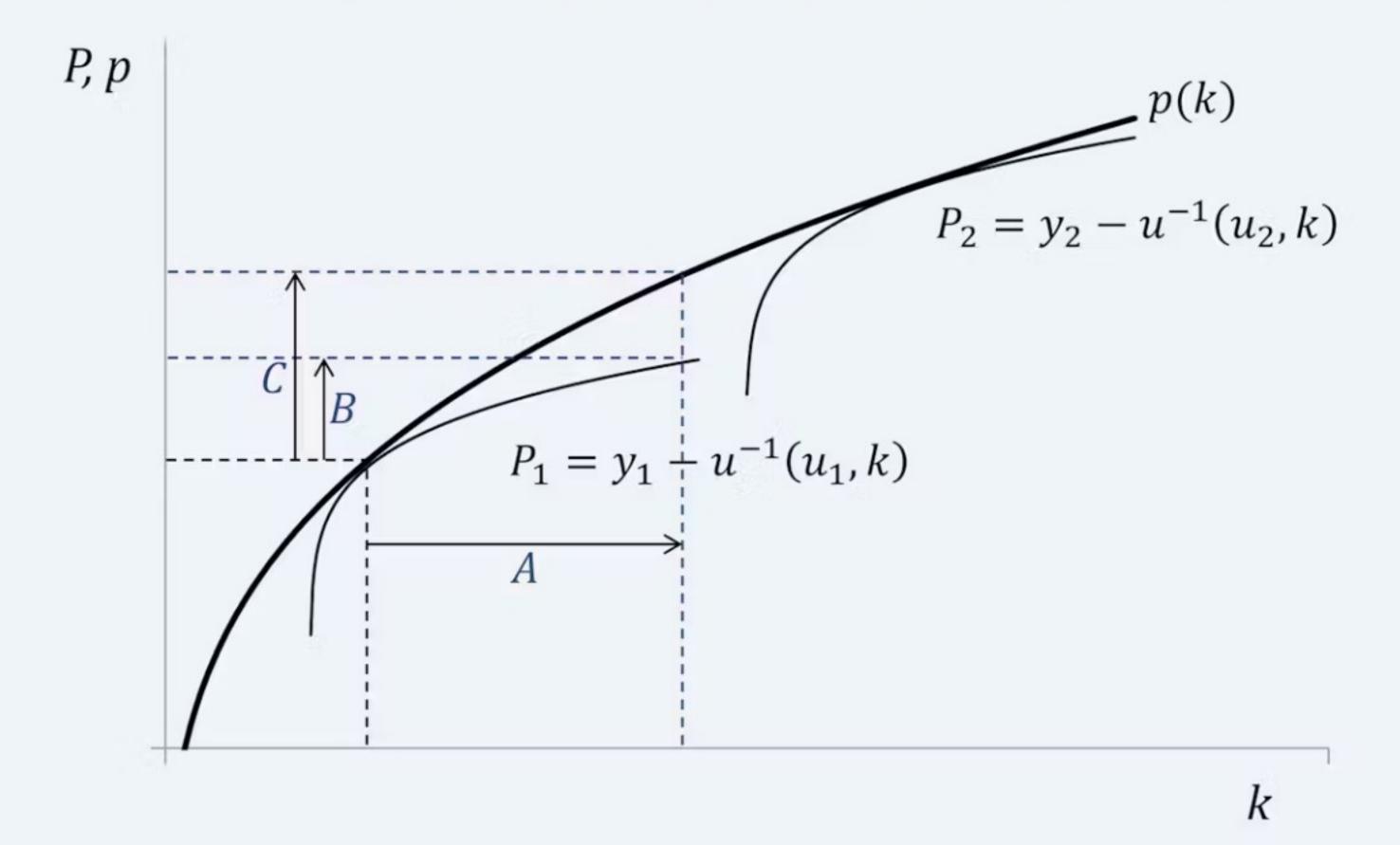


Let's consider a *small* change in k. What is the actual, resp. measured, WTP for the change in k?



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Structural (large) vs. marginal (small) changes in k



- Let's consider a large change in k
 - What is the willingness to pay?

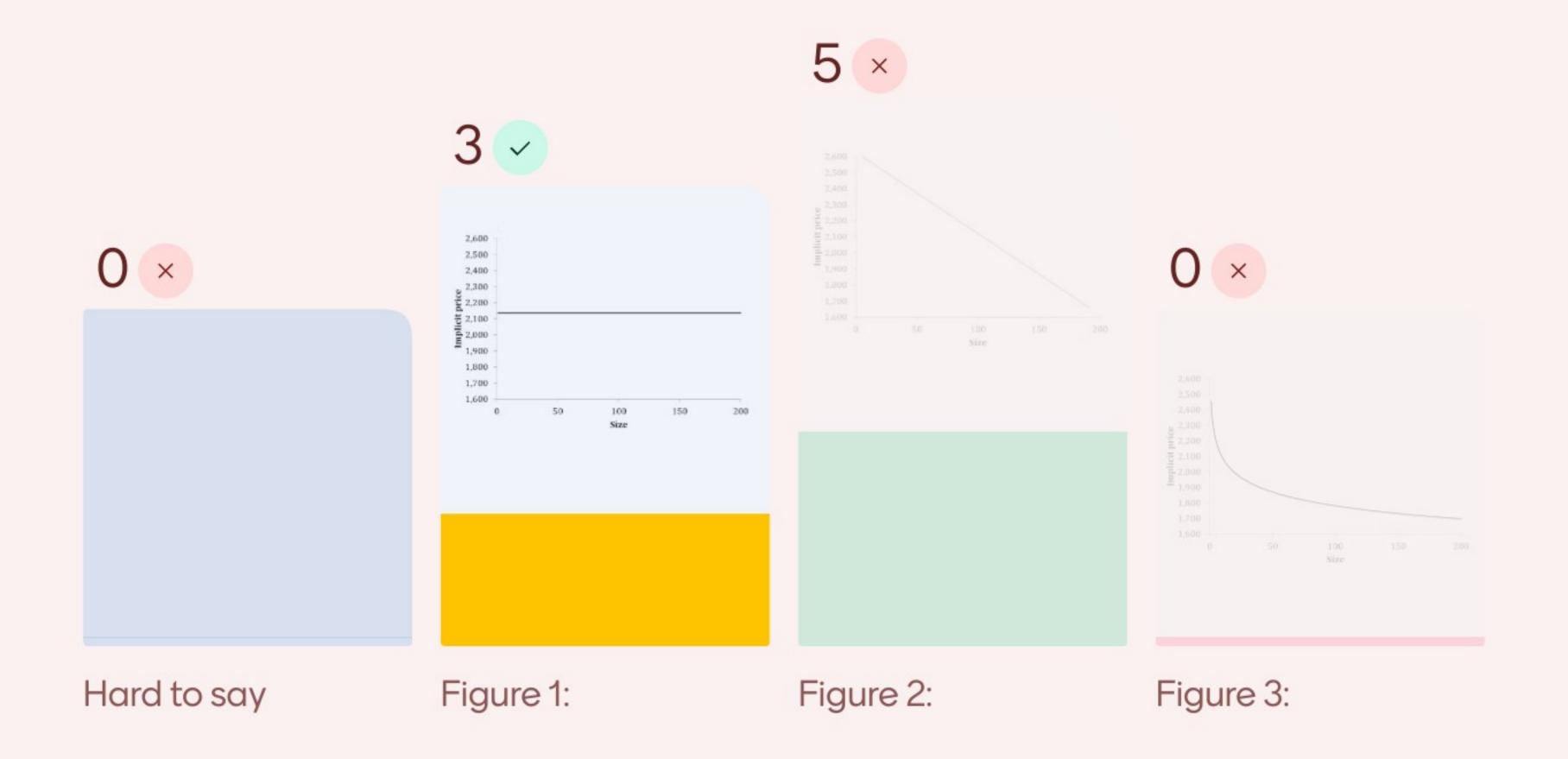


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- To identify demand functions, Rosen (1974) suggested a three-step procedure
 - 1. Estimate a hedonic price function
 - 2. Calculate the implicit prices
 - 3. Estimate the inverse demand functions by a regression of marginal prices $\partial p/\partial k$ on the amount consumed of attribute k



How would demand functions look like for a linear hedonic price function

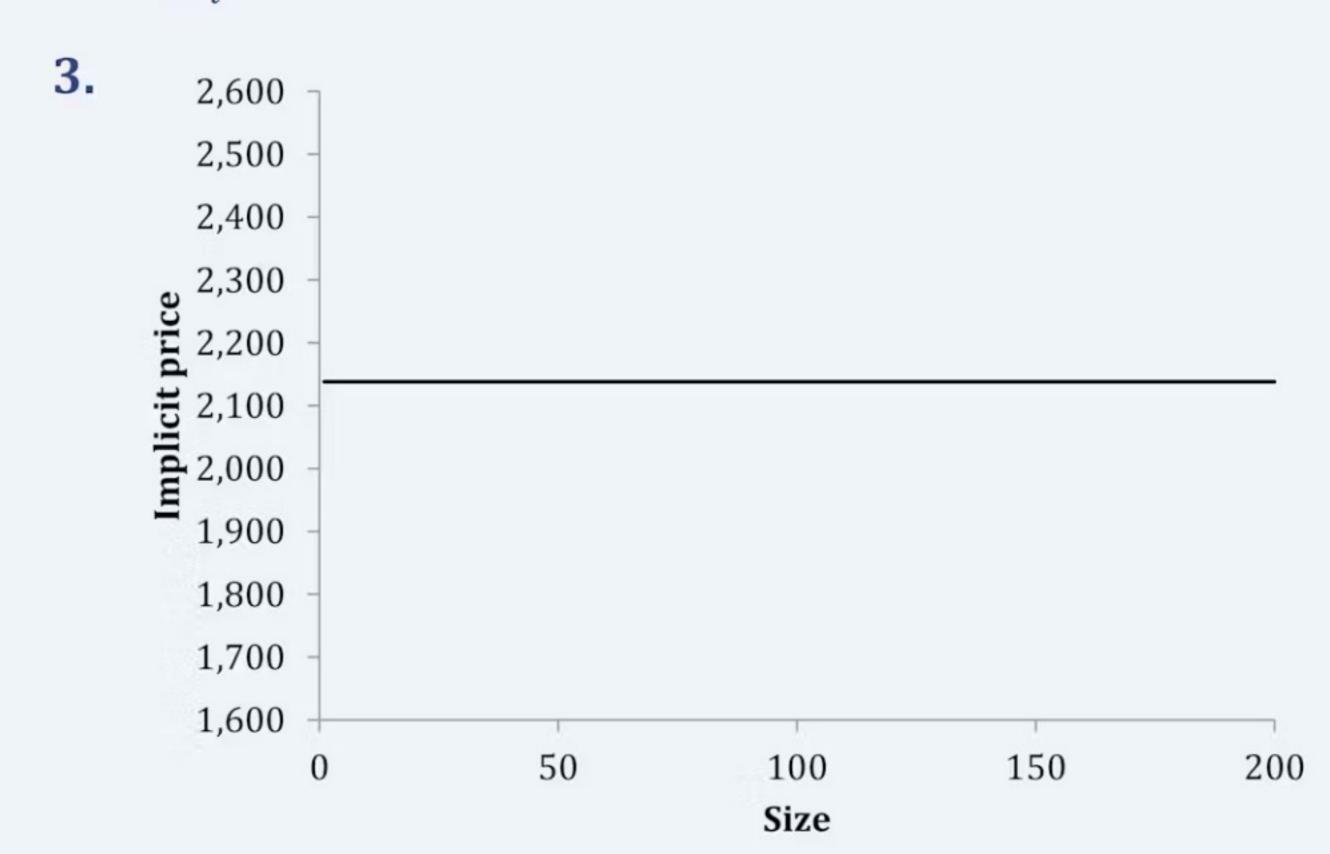


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- Example linear hedonic price function:
 - 1. Estimate hedonic price function

$$p_i = \alpha_0 + \alpha_1 k_i + \xi_i$$

$$2. \quad \frac{\partial p_i}{\partial k_i} = \hat{\alpha}_1 = 2139$$





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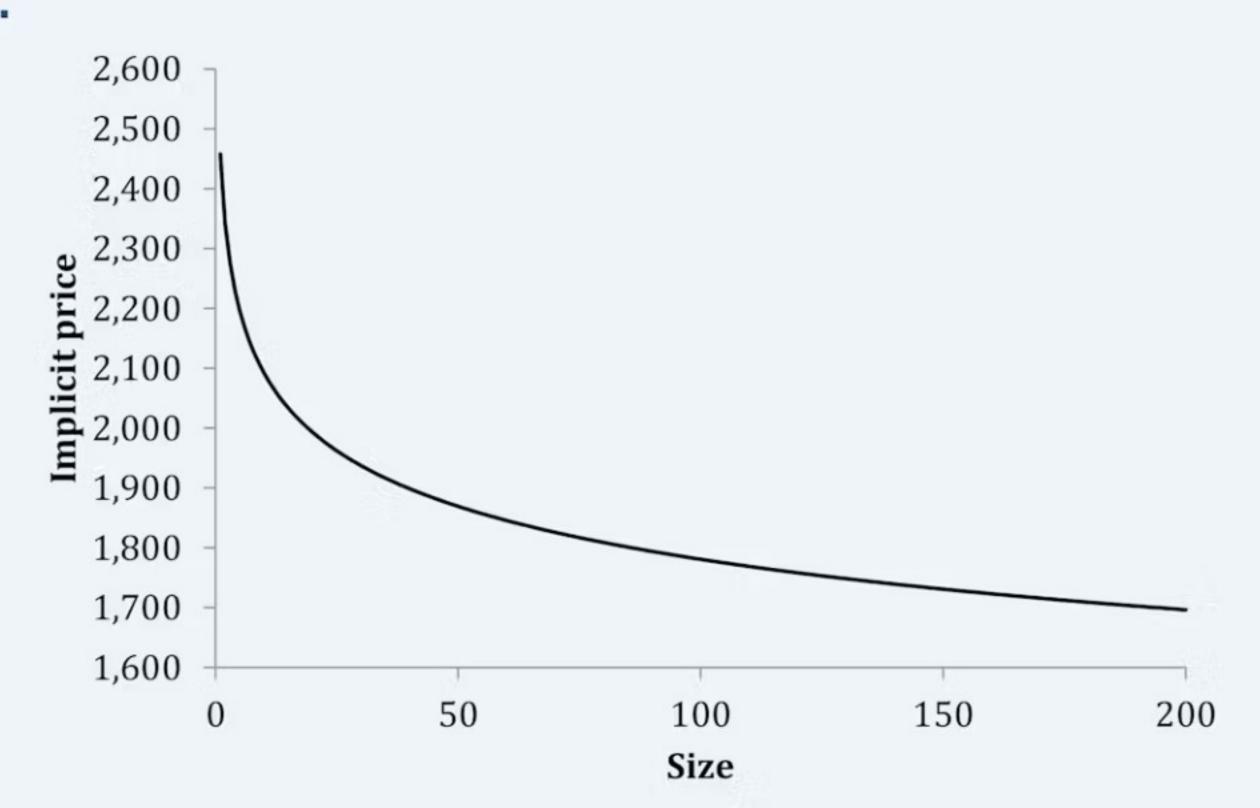
Example log-linear hedonic price function:

1. Estimate hedonic price function

$$\log p_i = \alpha_0 + \alpha_1 \log k_i + \xi_i$$

2.
$$\hat{\alpha}_1 = 0.9276$$
; $\frac{\partial p_i}{\partial k_i} = \frac{\hat{\alpha}_1 p_i}{k_i}$

3.





4. Demand functions

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- The procedure to obtain demand functions is misleading
 - Demand functions entirely depend on assumed functional form of hedonic price function

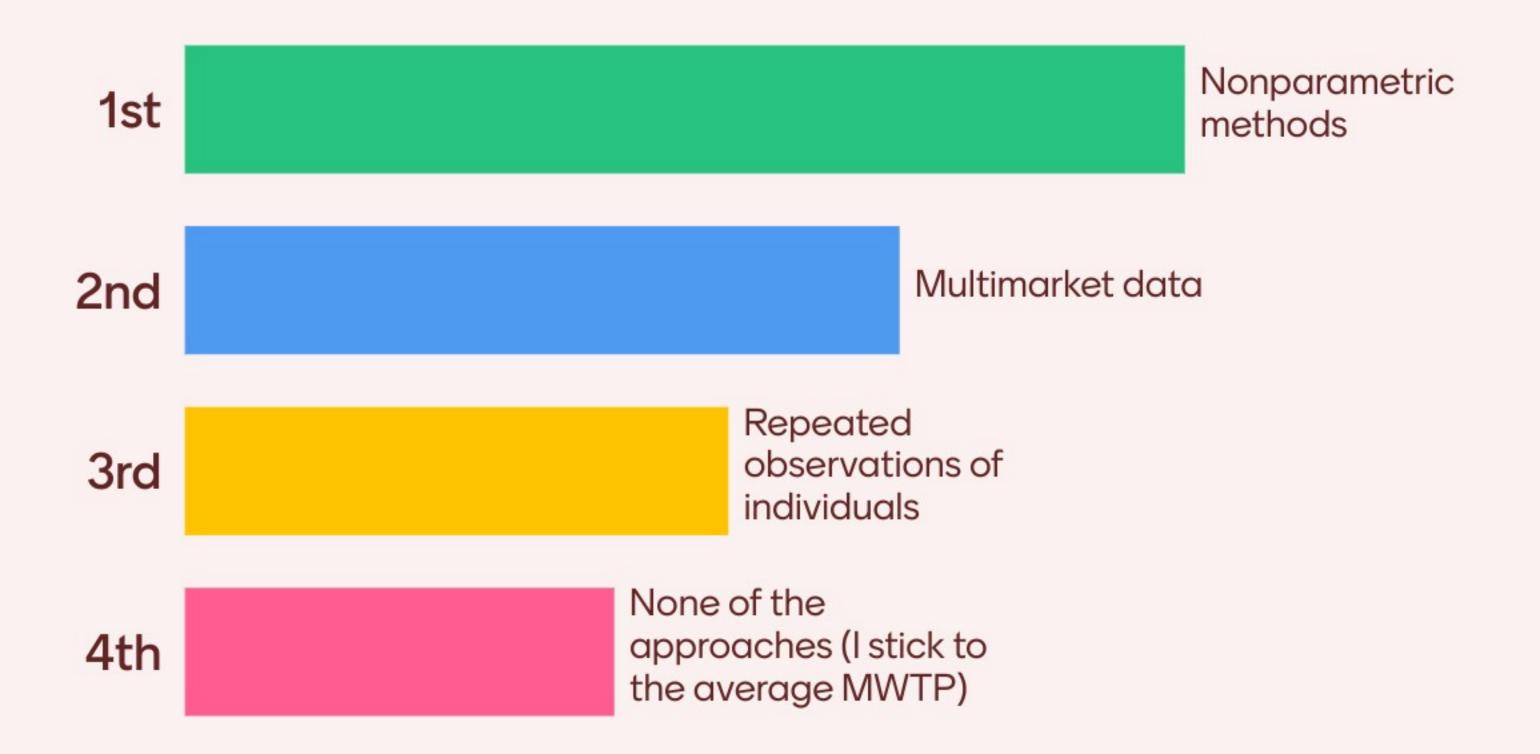


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- There are some solutions to the identification of demand functions:
 - Use multimarket data
 - > Utility functions are identical across markets but WTP is different
 - Use multiple observations for each individual
 - Bishop and Timmins (2018)
 - Nonparametric methods
 - Ekeland *et al.* (2004)
 - Bajari and Kahn (2005)



What is your preference regarding using *multimarket data*, *multiple observations* or use *nonparametric methods* to identify demand functions?



Hedonic pricing (1)

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Hedonic pricing (2)

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Topics:

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 - Spatial data, autocorrelation, spatial regressions
- 3. Identification
 - Research design, IV, OLS, RDD, quasi-experiments, standard errors
- 4. Hedonic pricing
 - Theory and estimation
- 5. Quantitative spatial economics
 - General equilibrium models in spatial economics



Hedonic pricing (2)

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Wednesday

09:30-10:30	Lecture 1	Discrete Choice I (The random utility framework)
10:45-11:45	Lecture 2	Discrete Choice II (Estimating discrete choice models

12:00-13:00 Lecture 3 Spatial Econometrics I (Spatial data)

14:00-15:30 Tutorial 1 Assignment 1

Thursday

09:30-10:30	Lecture 4	Spatial Economet	rics II (Spatia	lautocorrelation)
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10:45-11:45 Lecture 5 Spatial Econometrics III (Spatial regressions)

12:00-12:30 Lecture 6 Identification I (Research design)

13:30-14:00 Tutorial 2 Discussion of Assignment 1

14:00-15:00 Tutorial 3 Assignment 2

Friday

09:30-10:00 Lecture 7 Identification II (RCTs, OLS, IV, quasi-experiments)

10:00-10:30 Lecture 8 Hedonic pricing I (Theory)

10:45-11:45 Lecture 9 Hedonic pricing II (Estimation)

12:00-12:30 Tutorial 4 Discussion of Assignment 2



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 Hedonic price functions are used to answer a lot of policy related questions

$$p_i = \alpha_0 + f(k_i) + \xi_i$$

- However:
 - 1. Misspecification
 - 2. Endogeneity



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A Historic amenities and house prices

- Koster and Rouwendal (2017)
 - We apply hedonic price methods to study whether investments in cultural heritage improve neighbourhood quality
 - ... Measured by house prices



1. Introduction

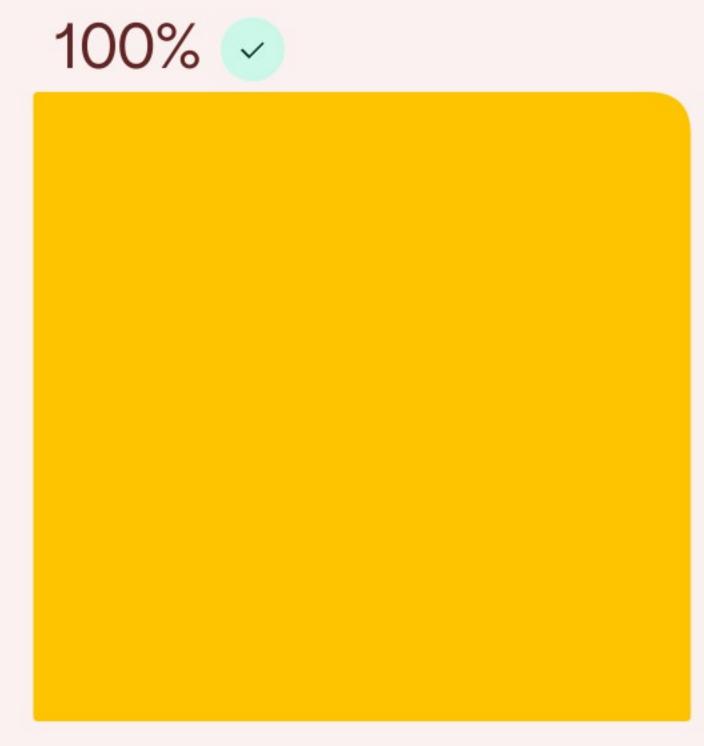
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- A Historic amenities and house prices
- Koster and Rouwendal (2017)
- Data on 650 thousand housing transactions
 - 96% took place in urban areas
 - The average investments are € 89 thousand per km²
 - The standard deviation is € 436 thousand per km²

- Over 12 thousand cultural heritage investment projects
 - Since 1980s
 - € 3 billion investments, of which about € 1 billion is a subsidy
 - Focus on small scale projects in vicinity of residential properties → € 1.63 billion investments



We are interested in measuring the *external effects* of investments in historic buildings. What do these capture?





The fact that the person living in the historic building enjoys a

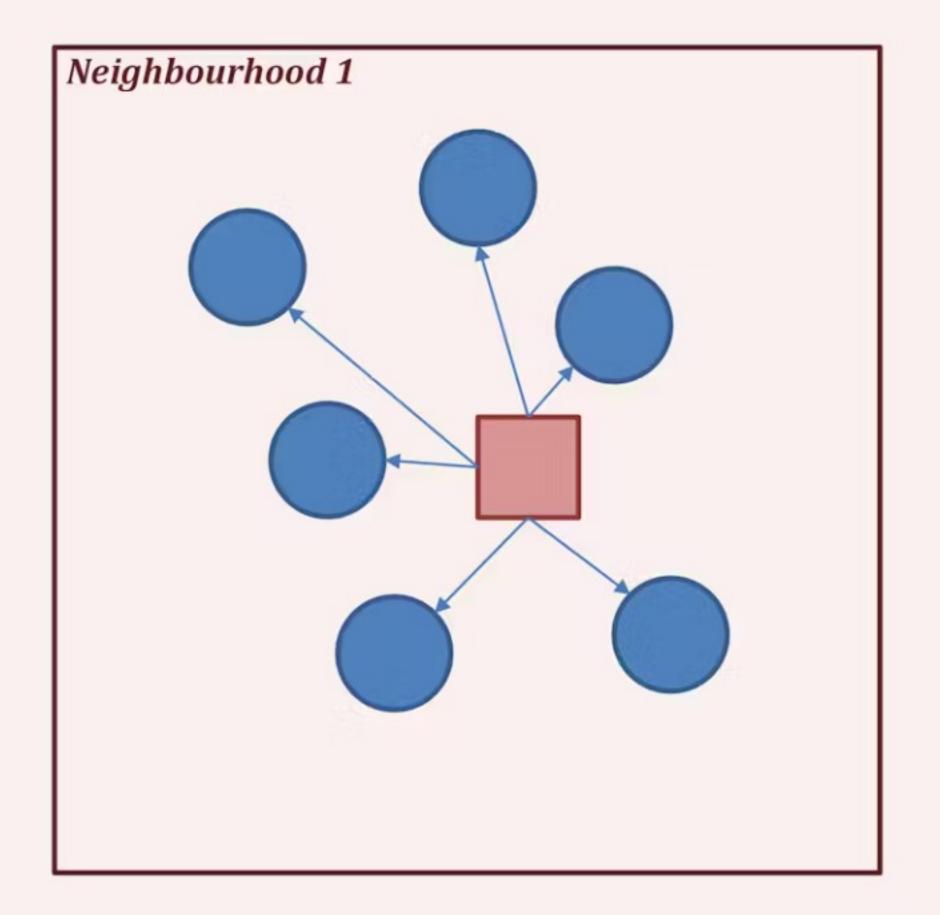
better and nicer home

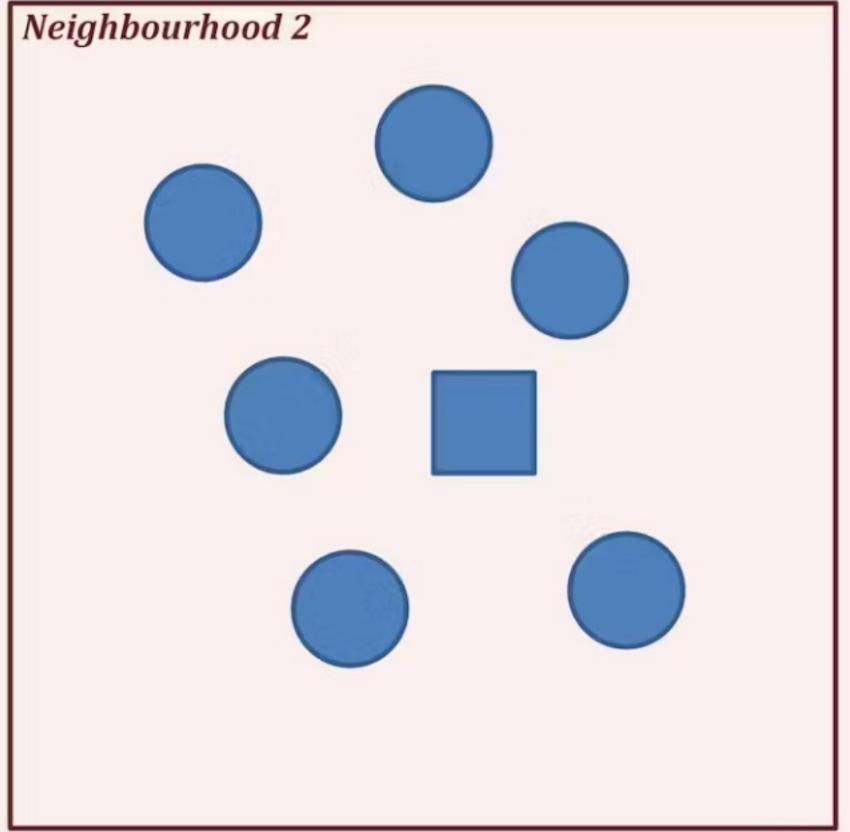
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enjoy a The fact that if you subsidise a historic building, this will imply that it will be more energy efficient, leading to lower CO₂ emissions

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- A Historic amenities and house prices
- We are interested in the external effect!
 - On prices of surrounding properties







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Subsidie monumenten stuwt huizenprijzen

Historic amenities and 13 februari 2015 • 54 • Door Redactie

house prices



Restauratie monumenten stuwt huizenprijzen

Door investeringen in cultureel erfgoed stijgen de huizenprijzen in de buurt eromheen. De omgeving wordt daardoor kennelijk aantrekkelijker voor huizenkopers, blijkt uit donderdag gepubliceerd onderzoek van de economer Hans Koster en Jan Rouwendal van de Vrije Univ

Zij onderzochten Z gesubsidieerd monumenten, die een zecultureel erfgood

MONUMENT VERHOOGT HUIZENPRIJZEN nstad Maasshiis Foto: Arch via wikimedia Door investeringen in cultureel erfgoed stijgen de huizenprijzen in de buurt eromheen. De omgeving wordt doe

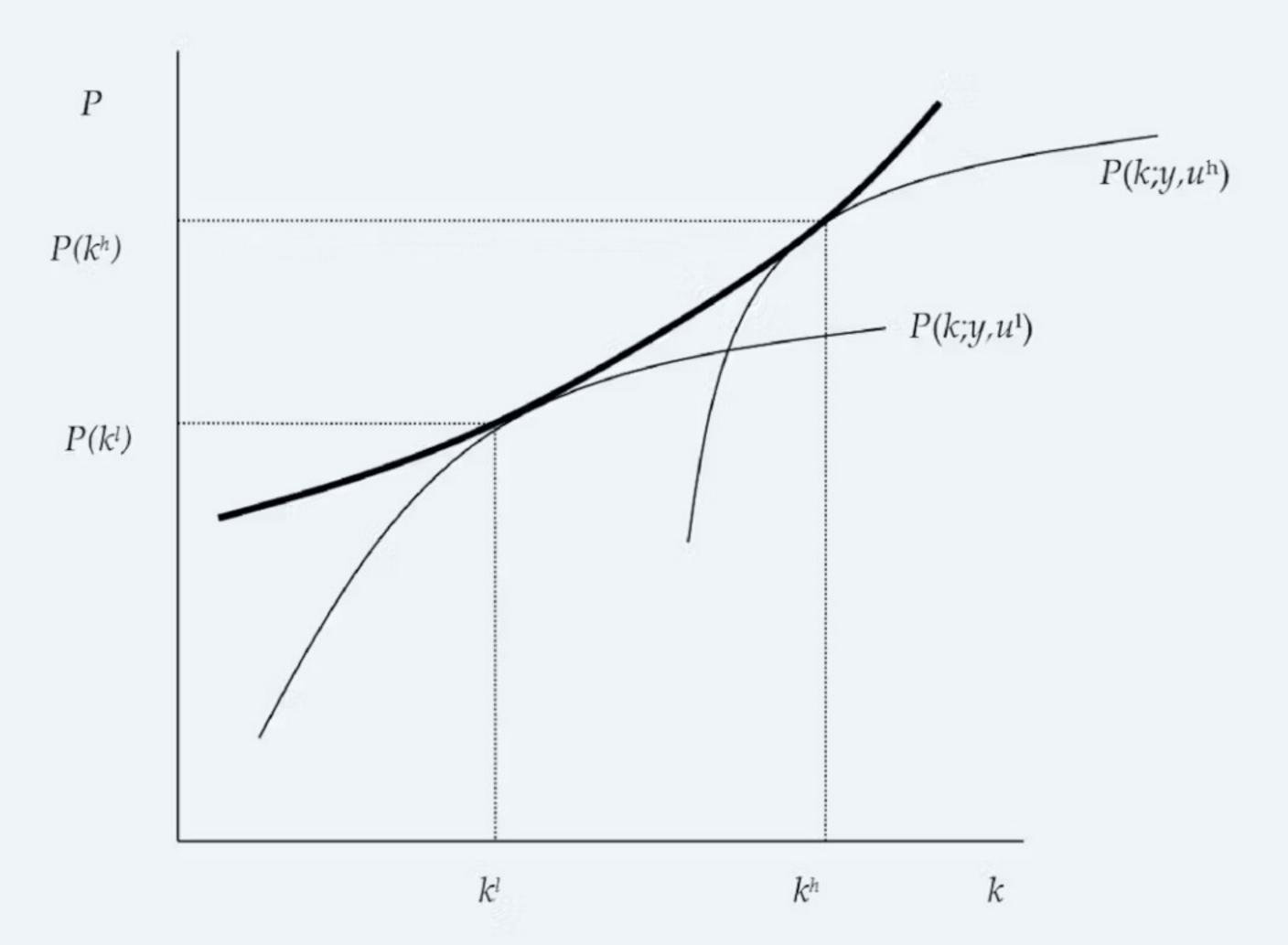
Onderzoekers van de Vrije Universiteit van Amsterdam hebben onderzocht welk effect het opknappen van monumenten heeft op prijzen van de omliggende woningen. Een gemiddelde restauratiebeurt kan de prijzen van omliggende woningen met 1,5 tot 3 procent laten stijgen. Het restaureren van monumenten met een cultuurhistorische waarde is dus niet alleen de moeite waard voor de uitstraling van het gebouw zelf. De omgeving knapt er zichtbaar van op en er bestaat een grote kans

dat omwonenden hun woning met een hoger percentage kunnen verkopen. - Investering in een restauratieproject was 250.000 euro.



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 Recall: the hedonic price function is formed of different people attaching different values to a good





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We have the following hedonic price function:

$$p_i = \alpha_0 + f(k_i) + \xi_i$$

- Functional form is unknown
 - May be highly nonlinear due to heterogeneity



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Logarithmic functions are often assumed:

$$\log p_i = \alpha_0 + \alpha_1 \log k_i + \xi_i$$
$$\log p_i = \alpha_0 + \alpha_1 k_i + \xi_i$$

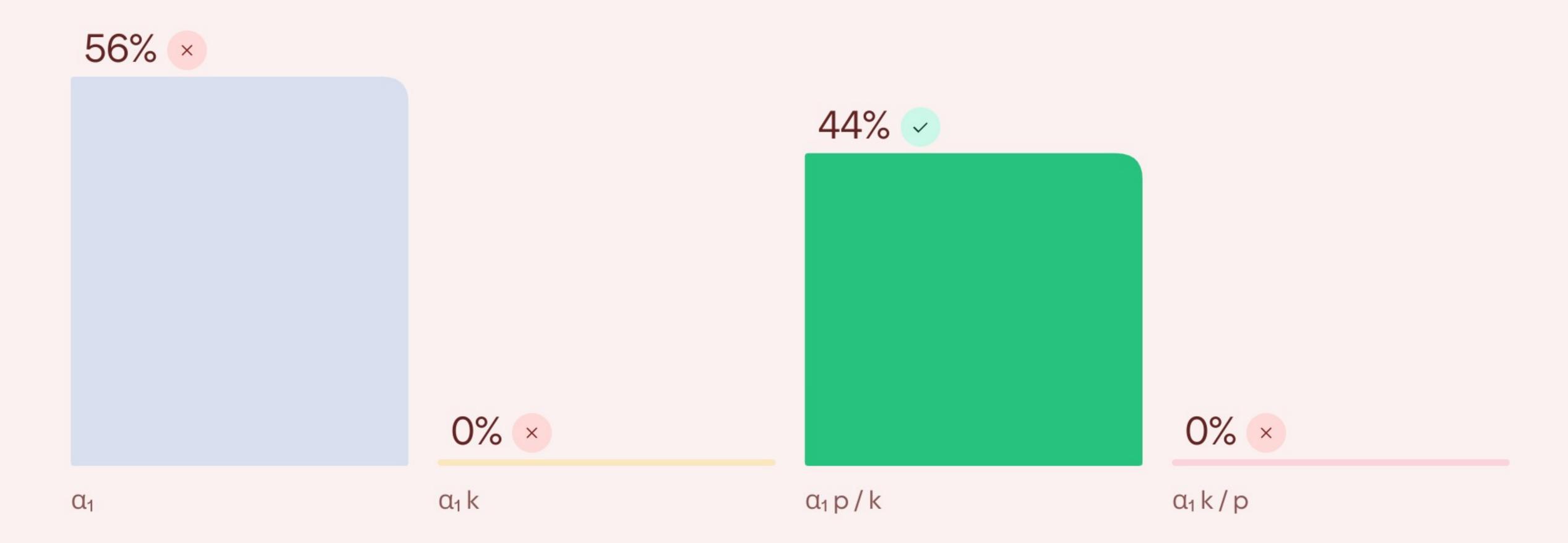
Common feature of house price data: skewness
 ... issue of skewness is then addressed







Given $\log p_i = lpha_0 + lpha_1 \log k_i + \xi_i$, what is the willingness to pay for k_i ?



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A Historic amenities and house prices

Estimate simple hedonic price function:

$$\log p_{int} = \alpha_0 + \alpha_1 z_{nt} + \theta_t + \xi_{int}$$

where *i* is the property

n is the neighbourhood

t is the year of observation

 p_{int} is the house price

 z_{nt} are the cumulative investments in cultural heritage in million \in per km²

 α_1 is the coefficient of interest

 θ_t are year fixed effects

 ξ_{int} is a residual



2. Misspecification

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A Historic amenities and house prices

Preliminary results

Table 3.1 – REGRESSION RESULTS

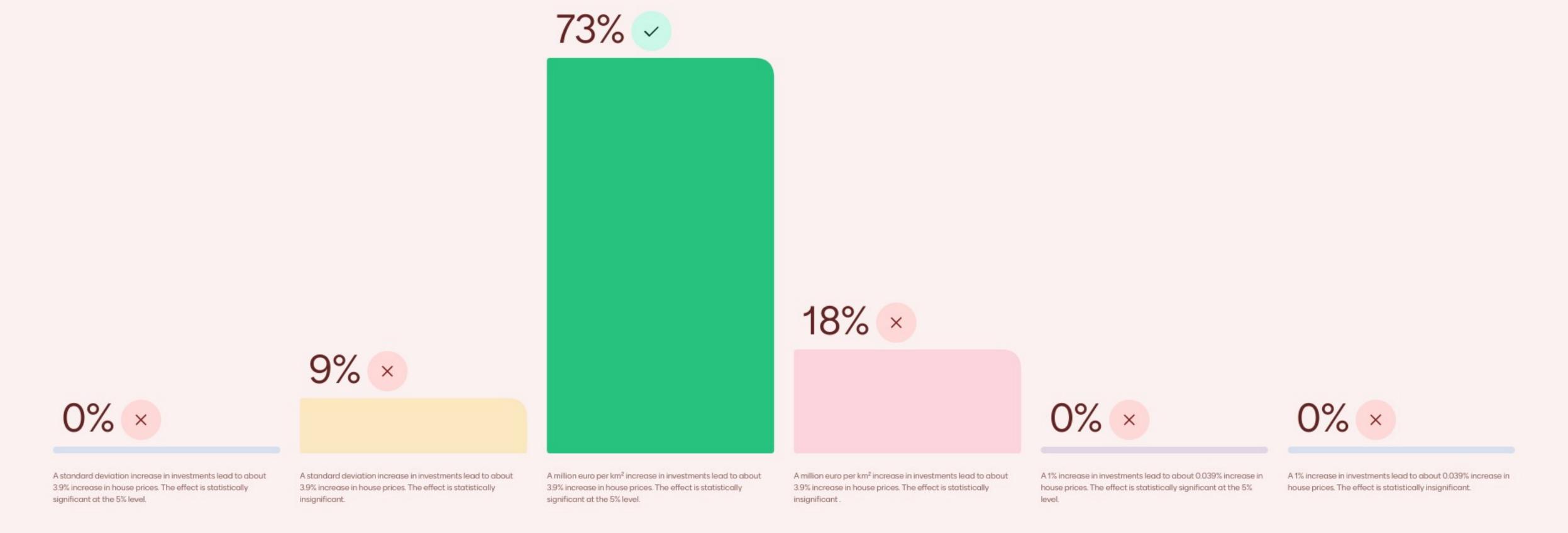
(Dependent variable: log of house price)

Investments in historic buildings 0.0389^{**} $(in \ million \in per \ km^2)$ (0.0160)Housing control variables (17) No Year fixed effects No Property fixed effects No Observations 657,574 R^2 0.400

Notes: Standard errors are clustered at the neighbourhood level and in parentheses. *** p < 0.01, ** p < 0.05, * p < 0.10.



Please interpret the coefficient.



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... But log-linear hedonic price functions can still be considered as restrictive

Recall that we had the following hedonic price function:

$$p_i = \alpha_0 + f(k_i) + \xi_i$$

- How should we estimate the above price function?
 - Nonparametric/semiparametric econometric techniques!
 - Put less structure on the data

- Nonparametric > no structure
- Semiparametric a bit of structure



2. Misspecification

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- Let's focus on two semiparametric estimation methods
 - Series approximation
 - Locally weighted regression (LWR)

- Series approximation
 - Estimate Taylor-series expansion
 - E.g., add k_i^2 and k_i^3 .
 - **So,** $\log p_i = \alpha_0 + \alpha_1 k_i + \alpha_2 k_i^2 + \alpha_3 k_i^3 + \xi_i$



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- Series approximation
 - Estimate Taylor-series expansion
 - E.g., add k_i^2 and k_i^3 .
 - So, $\log p_i = \alpha_0 + \alpha_1 k_i + \alpha_2 k_i^2 + \alpha_3 k_i^3 + \xi_i$

- Pros and cons
 - Linear in parameters
 - Problem if you have many explanatory variables
 - Sometimes not flexible enough
 - Performs poorly in 'boundary' regions



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- Locally weighted regression
 - Estimate for each observation a weighted regression
 - Let weights be higher for observations that are 'similar'
 - So, $\log p_i = \alpha_0 + \alpha_i k_i + \xi_i$ where i is the observation
 - Run weighted regression for each observation
 - \rightarrow Weights depend on value of k_i



2. Misspecification

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- Locally weighted regression
 - Weights depend on value of k:

$$w_i = \frac{1}{h\sqrt{2\pi\sigma_k}} e^{-\frac{1}{2}\left(\frac{k-k_i}{\sigma_k h}\right)^2}$$

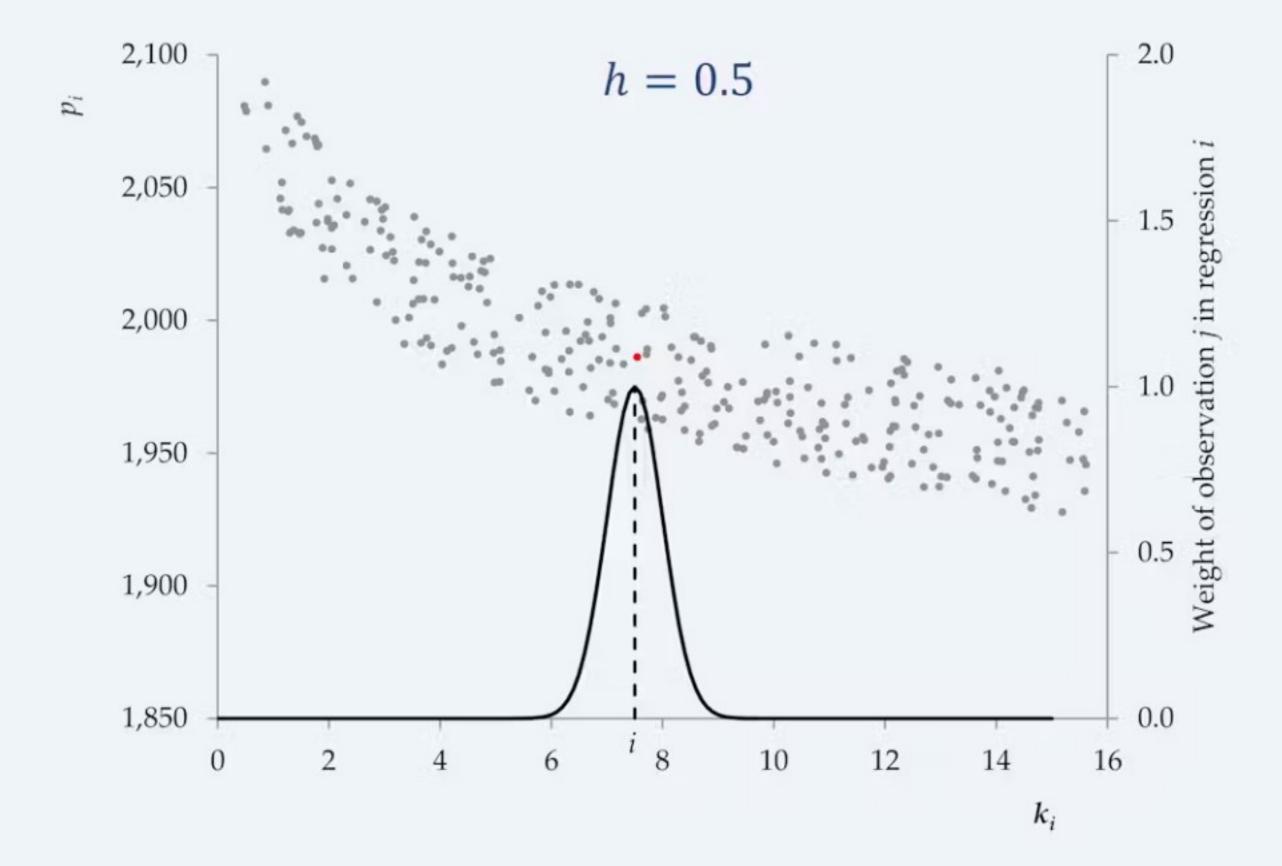
- Looks difficult, but weights are based on a normal distribution
- h is the bandwidth
 - h = 0, only take observation i into account
 - $h \to \infty$, identical to linear regression



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- Locally weighted regression
 - Weights depend on k_i :

$$w_i = \frac{1}{h\sqrt{2\pi\sigma_k}} e^{-\frac{1}{2}\left(\frac{k-k_i}{\sigma_k h}\right)^2}$$

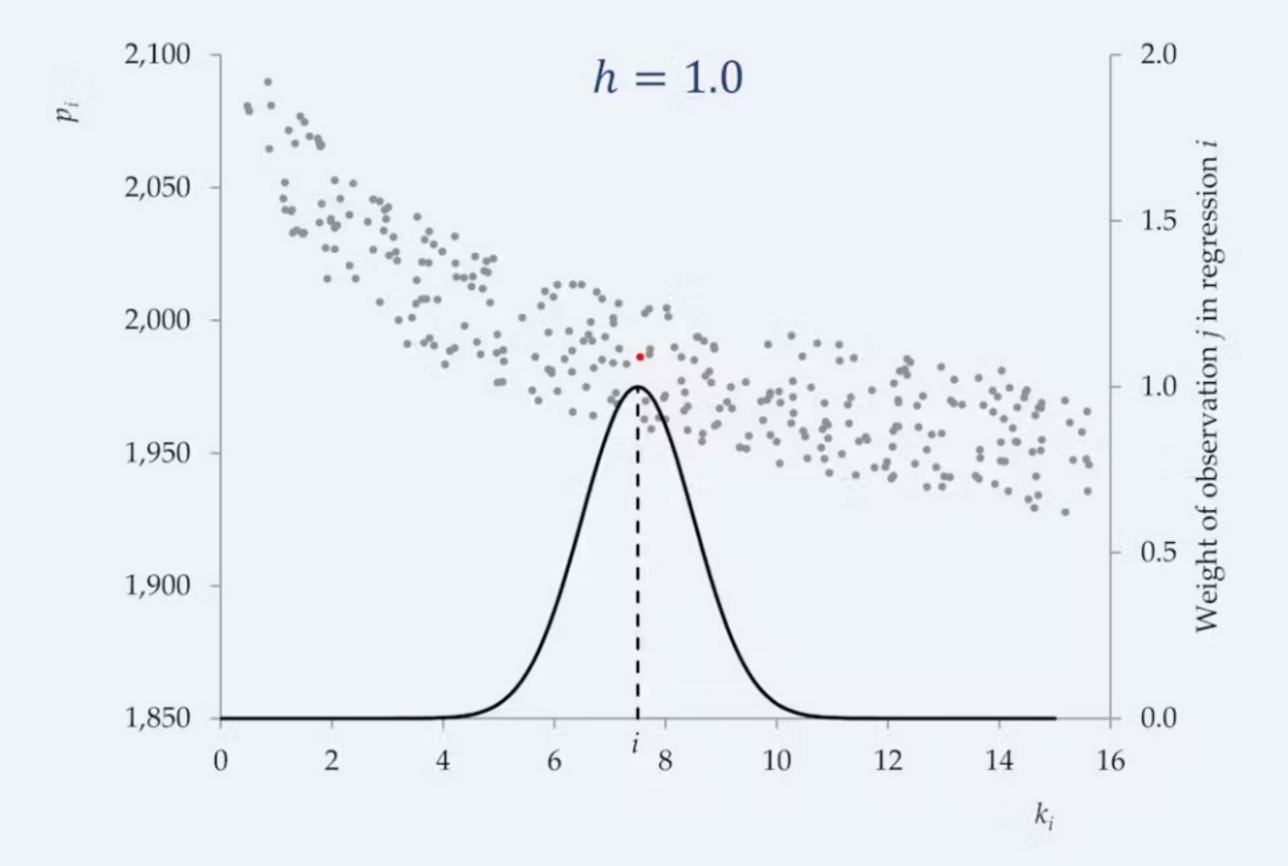




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- 4. Price indices
- 5. Summary

- Locally weighted regression
 - Weights depend on k_i :

$$w_i = \frac{1}{h\sqrt{2\pi\sigma_k}} e^{-\frac{1}{2}\left(\frac{k-k_i}{\sigma_k h}\right)^2}$$

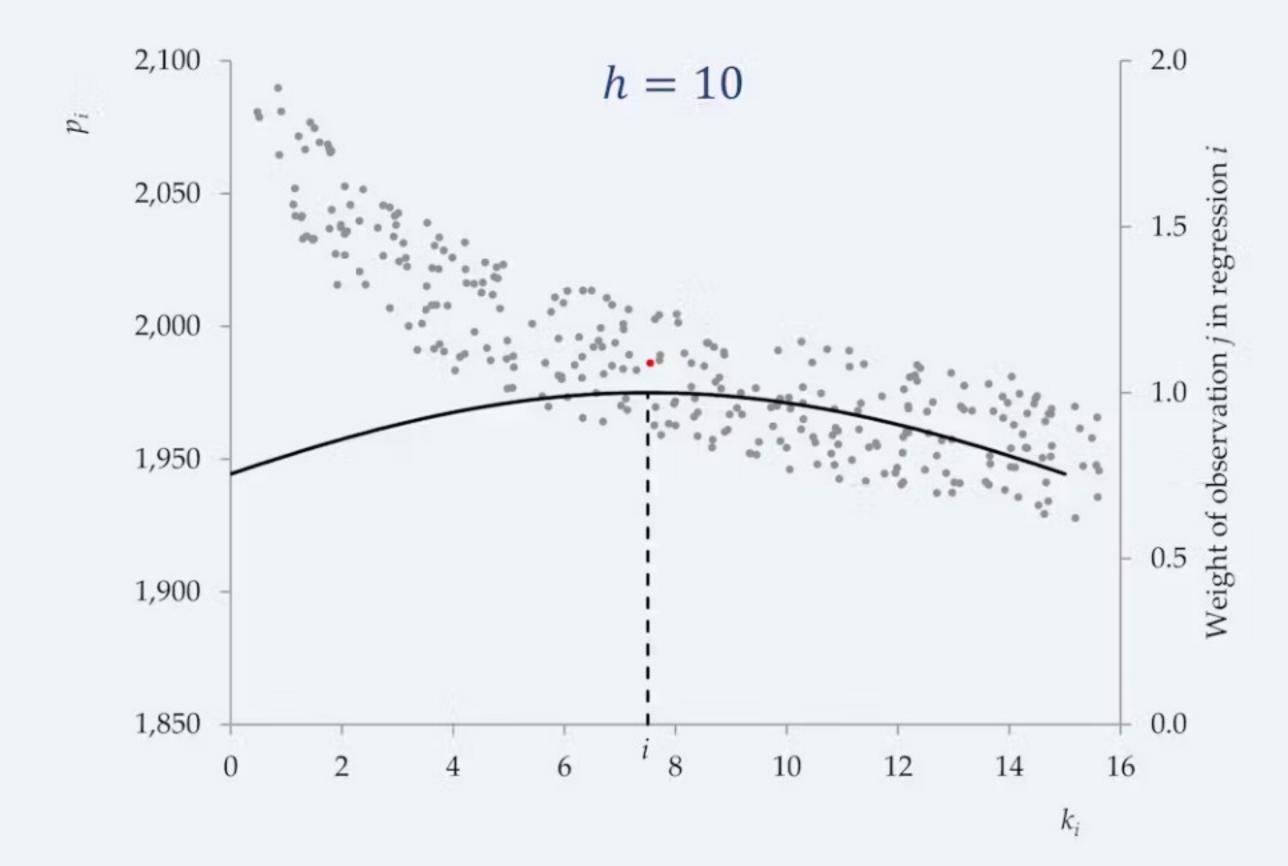




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- Locally weighted regression
 - Very flexible
 - Easy to estimate implicit prices $(\partial p_i/\partial k_i = \alpha_i)$
 - Bandwidth is important parameter; determines smoothness
 - Becomes popular in applied research
 - Bajari and Kahn (2005)
 - > McMillen and Redfearn (2010)
 - Use for example NPREGRESS command in STATA

- But: computationally intensive!
 - It takes very long to estimate when $N \gtrsim 50000$



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• How to estimate partially linear functions?

$$p_i = f(k_i) + \beta x_i + \xi_i$$

- Use series estimation
- Use Robinson's procedure
 - > PLREG in STATA



2. Misspecification

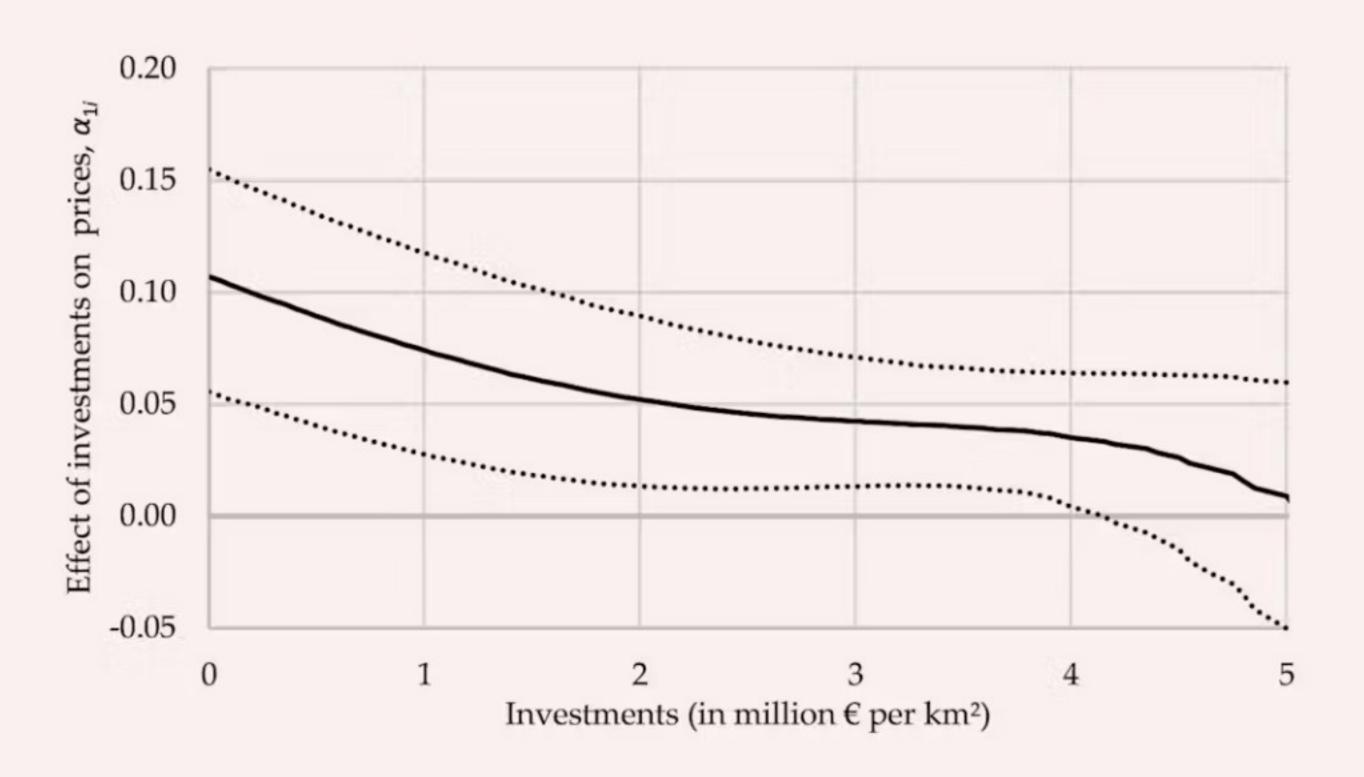
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A Historic amenities and house prices

Estimate partially linear LWR

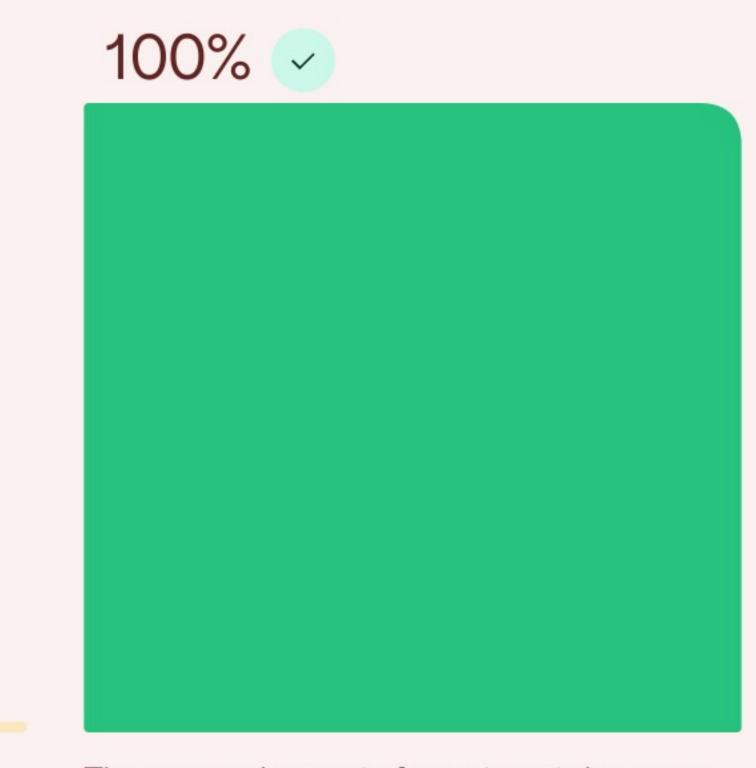
$$\log p_{int} = \alpha_0 + \alpha_{1i} z_{nt} + \theta_t + \xi_{int}$$

• Note that α_{1i} is now property-specific





What do you observe?



0% ×

The impact of investments is essentially linear.

0% ×

Prices decrease once investments are higher.

The marginal impact of investments becomes smaller once investments are higher.

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- Omitted variable bias (OVB) is a big issue when estimating hedonic price functions
 - So: $\log p_i = \alpha_0 + \alpha_1 \log k_i + \xi_i$
 - If $E[\xi_i | k_i] \neq 0$, α_1 will be inconsistent



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A Historic amenities and house prices

Let's include housing controls and property fixed effects

$$\log p_{int} = \alpha_0 + \alpha_1 \log z_{nt} + \sum_{c=2}^{C} \alpha_c k_{itc} + \mu_t + \theta_t + \xi_i$$

 The 17 control variables included are house size, construction year, house type, rooms, maintenance quality, etc.



3. Endogeneity

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A Historic amenities and house prices

- Results
- Including property fixed effects matters!
- So: many characteristics of properties are hard to measure

Table 3.1 – REGRESSION RESULTS

(Dependent variable: log of house price)

		+ Controls	+ House f.e.	
	(1)	(2)	(3)	
Investments in historic buildings	0.0389**	0.0411***	.0411*** 0.0151***	
$(in\ million \in per\ km^2)$	(0.0160)	(0.0142)	(0.00514)	
Housing control variables (17)	No	Yes	Yes	
Year fixed effects	No	Yes	Yes	
Property fixed effects	No	No	Yes	
Observations	657,574	657,574	657,574	
R^2	0.400	0.763	0.982	

Notes: Standard errors are clustered at the neighbourhood level and in parentheses. *** p < 0.01, ** p < 0.05, * p < 0.10.



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- A Historic amenities and house prices
- Koster and Rouwendal (2017)
 - We apply hedonic price methods to study whether investments in cultural heritage improve neighbourhood quality
 - ... Measured by house prices



- 1. Introduction
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A Historic amenities and house prices

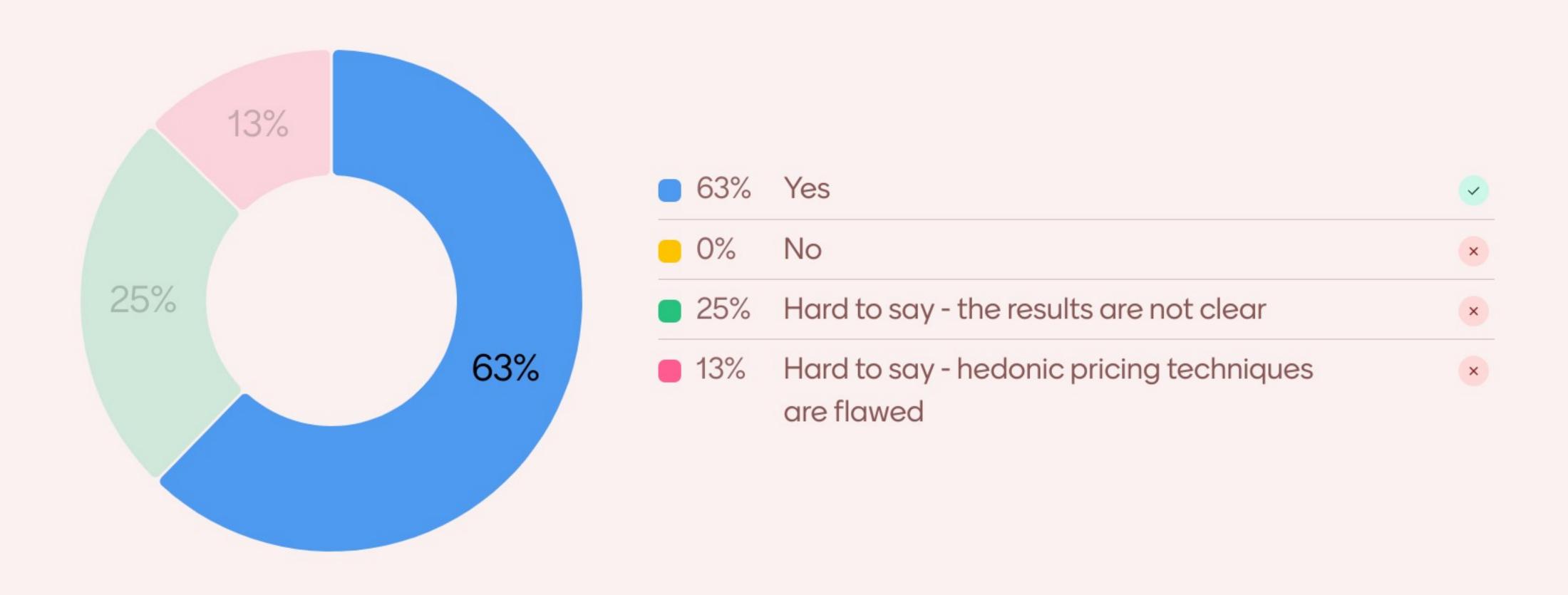
Using earlier estimates, we can calculate the total external benefits and compare them to the subsidies

Estimates of External Effects of Investments in Cultural Heritage

Assumed price effect	Owner-occupied houses		All houses	
	1.68%	5.39%	1.68%	5.39%
External benefits, total (in million €)	1,852	2,890	5,941	6,979
External benefits/project total (in €)	160,711	250,782	515,614	605,686
Investments, total (in million €)	1,630	1,630	1,630	1,630
Investments/project (in €)	141,493	141,493	141,493	141,493
External benefits/investments	1.14	1.77	3.64	4.28
Subsidies, total (in million €)	626	626	626	626
Subsidies/project (in €)	54,347	54,347	54,347	54,347
External benefits/subsidies	2.96	4.61	9.49	11.14



Does subsidising historic buildings seems like a good idea?



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Hedonic pricing:

- 1. Understand what a hedonic price function
 - A description of the equilibrium prices of varieties of a heterogeneous good
- 2. Have basic knowledge about how a hedonic price function is linked to economic theory
 - Heterogeneous households have different WTPs for goods
- 3. Understand how to address misspecification and endogeneity when estimating hedonic price functions
 - Estimate log-linear hedonic price functions
 - Series approximation / LWR
 - Add controls and fixed effects
 - Consider IV/quasi experiments



Hedonic pricing (2)

Applied Econometrics for Spatial Economics

Hans Koster

Professor of Urban Economics and Real Estate





